

# Lattice defects induce microtubule self-renewal

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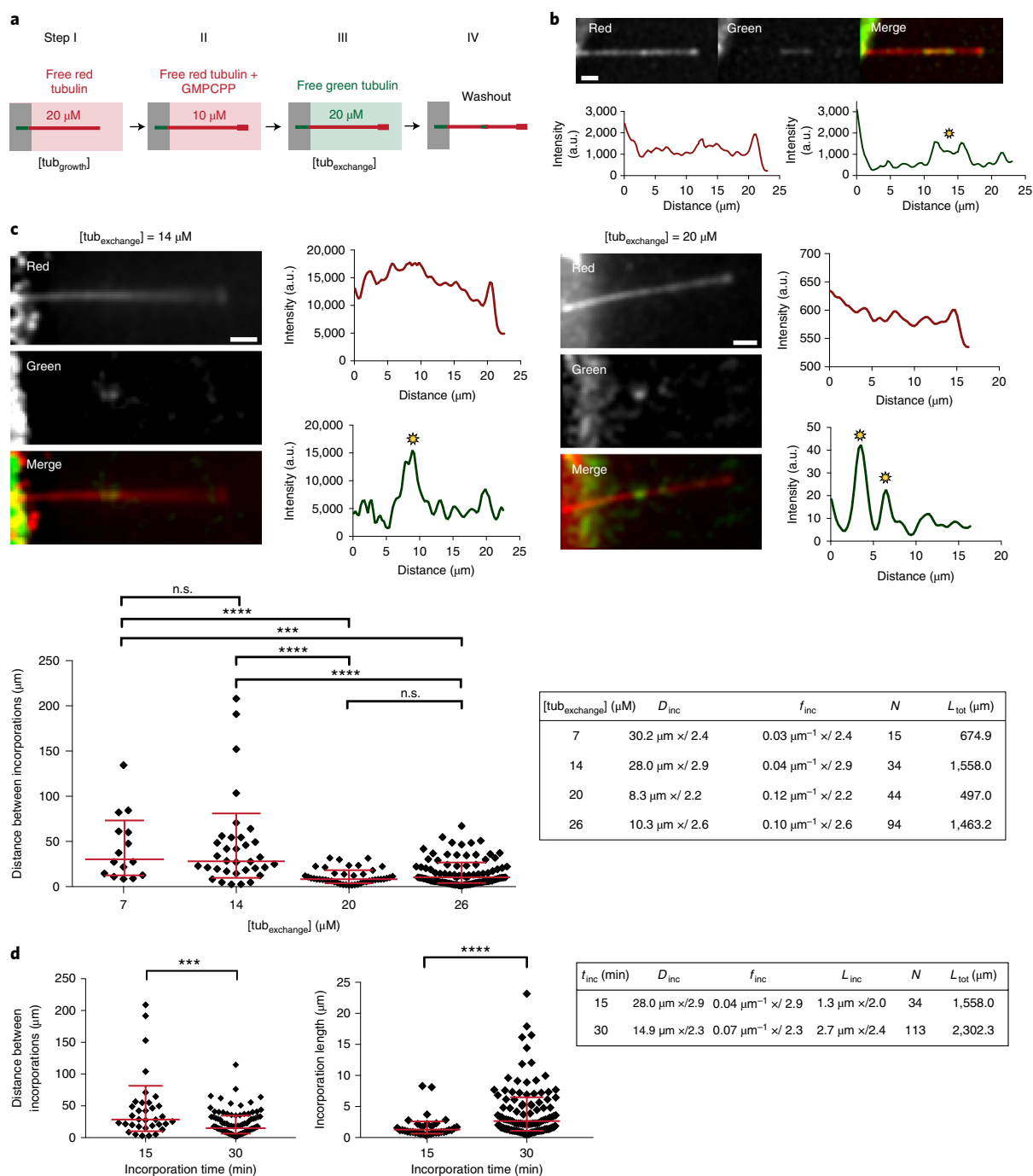
**Microtubules are dynamic polymers, which grow and shrink by addition and removal of tubulin dimers at their extremities. Within the microtubule shaft, dimers adopt a densely packed and highly ordered crystal-like lattice structure, which is generally not considered to be dynamic. Here, we report that thermal forces are sufficient to remodel the microtubule shaft, despite its apparent stability. Our combined experimental data and numerical simulations on lattice dynamics and structure suggest that dimers can spontaneously leave and be incorporated into the lattice at structural defects. We propose a model mechanism, where the lattice dynamics is initiated via a passive breathing mechanism at dislocations, which are frequent in rapidly growing microtubules. These results show that we may need to extend the concept of dissipative dynamics, previously established for microtubule extremities, to the entire shaft, instead of considering it as a passive material.**

Microtubules are self-organized tubular scaffolds serving as tracks for intracellular transport. They are dynamic dissipative structures, which grow or shrink primarily by tubulin dimer addition or removal at their extremities. Their non-equilibrium behaviour results from the irreversible hydrolysis of GTP<sup>1,2</sup> and manifests itself as stochastic transitions between growth and shrinkage phases, called dynamic instability<sup>2–6</sup>. For three decades, a substantial effort in microtubule research has been dedicated to the study of the dynamic instability at the microtubule tips<sup>7</sup>. In contrast, only little is known about the dynamical properties of the microtubule shaft<sup>8</sup>. A first hint that the shaft is dynamic came from the observation of end-stabilized microtubules in the absence of free tubulin. Microtubules started to soften in a localized region and eventually broke apart. Breakage of soft regions could be prevented by reintroducing GTP-tubulin into the solution, suggesting that both dimer loss and incorporation occurred along the shaft<sup>9</sup>. More recently, Schaedel et al.<sup>10</sup> demonstrated that microtubules, subjected to short (~10 s) repeated cycles of bending, softened and incorporated free tubulin dimers into the shaft. Reid et al.<sup>11</sup> showed tubulin incorporation into the shaft of stabilized microtubules containing massive structural defects. Others have detected GTP-tubulin islands along the shaft<sup>12,13</sup>, potentially resulting from a dynamic tubulin turnover in the shaft. Live-cell imaging revealed that sites of tubulin turnover also exist *in vivo*, predominantly in microtubule bundles or at intersections between two microtubules<sup>13,14</sup>. Recently, it was shown that microtubule-severing enzymes, such as spastin and katanin, are able to actively remove tubulin dimers from the shaft. The ensuing gaps in the lattice are repaired rapidly by the incorporation of free tubulin<sup>15</sup>. Estimates of the change in free energy upon transferring a dimer from the fully occupied lattice into the surrounding medium range from  $35 k_B T$  to  $80 k_B T$  (refs. <sup>16–18</sup>), suggesting that spontaneous dimer loss is not relevant during the lifetime of a microtubule. However, it is known that the microtubule lattice is not perfect but exhibits defects, such as missing dimers, cracks and dislocations<sup>19–24</sup>. Here, we combine data of tubulin turnover obtained by total internal reflection fluorescence (TIRF) microscopy and structural data obtained by cryo-electron

microscopy with kinetic Monte Carlo modelling to elucidate the origin of the lattice turnover. Our data support the idea that the elastic stress associated with structural lattice defects is sufficient to promote a spontaneous localized tubulin turnover on the timescale of minutes, even in the absence of external forces. We propose a robust and simple breathing mechanism that relates lattice turnover to the presence of dislocation defects. Our simulations capture the dynamic instability at the tip, as well as the localized turnover in the shaft, thus extending the concept of microtubule dynamics from the tip to the shaft.

To test the possibility of spontaneous dimer turnover we polymerized microtubules *in vitro* from purified brain tubulin<sup>25</sup>. As depicted in Fig. 1a, dynamic microtubules were nucleated from short taxol-stabilized microtubule seeds and elongated in the presence of 20  $\mu M$  of free tubulin dimers ('tubulin growth' condition), 20% of which was labelled with red fluorophores. Importantly, microtubules were not stabilized with taxol, which is known to impact the lattice structure<sup>11,26,27</sup>. Microtubule ends were then capped with GMPCPP-tubulin, a non-hydrolysable analogue of GTP, to protect them from depolymerization. Capped microtubules were exposed to 20  $\mu M$  of free tubulin dimers labelled with a green fluorophore for 15 min ('tubulin exchange' condition). After washout of the free tubulin, green tubulin spots of micrometre size became apparent along microtubule shafts (Fig. 1b and Supplementary Fig. 1a). This method revealed that tubulin incorporation occurs spontaneously, that is, in the absence of external mechanical forces. To test the dependence of the incorporation on the free tubulin concentration, microtubules generated in the tubulin growth process (step I in Fig. 1a) were exposed to different concentrations of free green fluorescently labelled tubulin in the tubulin exchange process (step III in Fig. 1a). Sites of incorporated tubulin were identified using line scans of the green fluorescence intensity along the microtubule (Fig. 1b,c and Methods). We analysed incorporation by randomly concatenating all microtubules and by measuring the distance between adjacent incorporation spots. The resulting distribution of distances (Fig. 1c) is skewed and better described by the geometric mean  $\times$ / geometric standard deviation (s.d.) factor than by the

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**Fig. 1 | Incorporation of free tubulin into the microtubule lattice visualized by TIRF.** **a**, Schematic representation of the experimental set-up used to test microtubule-lattice turnover in the absence of external forces. Microtubules were grown with red fluorescent tubulin at a concentration of 20  $\mu\text{M}$  (step I) before they were capped with GMPCPP (step II) and exposed to green-fluorescent free tubulin at a concentration of 20  $\mu\text{M}$  (step III). After 15 min, the green tubulin was washed out to reveal spots of green tubulin along the red microtubule (step IV). **b**, Example of a red microtubule showing spots of incorporated green tubulin along the lattice. The graphs represent line scans along the microtubule (red curve, red fluorescent channel; green curve, green fluorescent channel). Sites of incorporated tubulin were identified as zones of fluorescence intensity, which were at least 2.5-fold higher than the background fluorescence (yellow star). Scale bar, 3  $\mu\text{m}$ . **c**, Microtubules grown at 20  $\mu\text{M}$  tubulin concentration were exposed to 7  $\mu\text{M}$ , 14  $\mu\text{M}$ , 20  $\mu\text{M}$  and 26  $\mu\text{M}$  of green-fluorescent free tubulin (step III in **a**). The images and line scans represent typical examples for 14  $\mu\text{M}$  and 20  $\mu\text{M}$  as described in **b**. Scale bars, 3  $\mu\text{m}$ . The graph (bottom left) shows the distribution of distances between incorporation spots after concatenating all microtubules in a random order. The red bars indicate the geometric mean  $\times$  / s.d. factor.  $P$  values are  $<0.0001$  for the concentration pairs (7  $\mu\text{M}$ , 20  $\mu\text{M}$ ), (14  $\mu\text{M}$ , 20  $\mu\text{M}$ ) and (14  $\mu\text{M}$ , 26  $\mu\text{M}$ ) and  $P = 0.0004$  for the pair (7  $\mu\text{M}$ , 26  $\mu\text{M}$ ). n.s., not significant. The table (bottom right) summarizes the average distance  $D_{\text{inc}}$  and frequency  $f_{\text{inc}}$  (geometric mean  $\times$  / s.d. factor) of incorporation spots. **d**, Comparison of distances between incorporations (left) and lengths of incorporation spots (right) for two different incubation times (15 min and 30 min) at 14  $\mu\text{M}$  free tubulin in step III of **a**. The  $P$  value is 0.0005 ( $<0.0001$ ) for the distance between (length of) incorporation spots after 15 and 30 min of incorporation. The table summarizes the average distance  $D_{\text{inc}}$ , frequency  $f_{\text{inc}}$  and size  $L_{\text{inc}}$  of incorporation spots (geometric mean  $\times$  / s.d. factor) for each incubation time  $t_{\text{inc}}$ . The estimated speed of elongation of the incorporation spots is  $v \approx L_{\text{inc}} / t_{\text{inc}} \approx 0.09 \mu\text{m min}^{-1}$ .  $L_{\text{tot}}$  and  $N$  in the tables in **c,d** denote the total length of microtubules analysed and the total number of observed incorporation spots, respectively.

arithmetic mean  $\pm$  s.d. (ref. <sup>28</sup>; see Methods). At low free tubulin concentrations (7  $\mu$ M and 14  $\mu$ M), the typical spatial frequencies of incorporation sites ( $f_{\text{inc}} = 0.03 \mu\text{m}^{-1} \times / 2.4$  and  $f_{\text{inc}} = 0.04 \mu\text{m}^{-1} \times / 2.9$ , respectively) are not significantly different. On increasing the free tubulin concentration to 20  $\mu$ M, the typical frequency increases significantly to  $f_{\text{inc}} = 0.12 \mu\text{m}^{-1} \times / 2.2$ . Increasing the free tubulin concentration to 26  $\mu$ M does not significantly further increase the typical frequency ( $f_{\text{inc}} = 0.10 \mu\text{m}^{-1} \times / 2.6$ ). We conclude that tubulin incorporation depends critically on the concentration of free tubulin. Furthermore, tubulin incorporation is a continuous process, whereby the frequency and length of incorporation spots at 14  $\mu$ M free tubulin increases between 15 and 30 min of incorporation (Fig. 1d). The increase in spot size allows us to estimate the growth speed of the incorporation spots to about  $0.09 \mu\text{m min}^{-1}$ . The increase in the frequency of incorporation spots over time (Fig. 1d) could potentially be the result of two different mechanisms: (1) small incorporation spots that are undetectable at short incorporation times become bigger and therefore visible after longer incorporation times, or (2) new incorporation spots are nucleated over time along the microtubule shaft. We will come back to the distinction between the two mechanisms later. The mean size of incorporation spots after 15 min of incubation increases slightly with the free tubulin concentration (Supplementary Fig. 1b), indicating that although the appearance of incorporation spots depends critically on the free tubulin concentration, a higher tubulin concentration (above a critical concentration) favours a faster growth of incorporation spots. In summary, the incorporation of tubulin into microtubules in the absence of external constraints suggests a genuine spontaneous and continuous process of tubulin turnover.

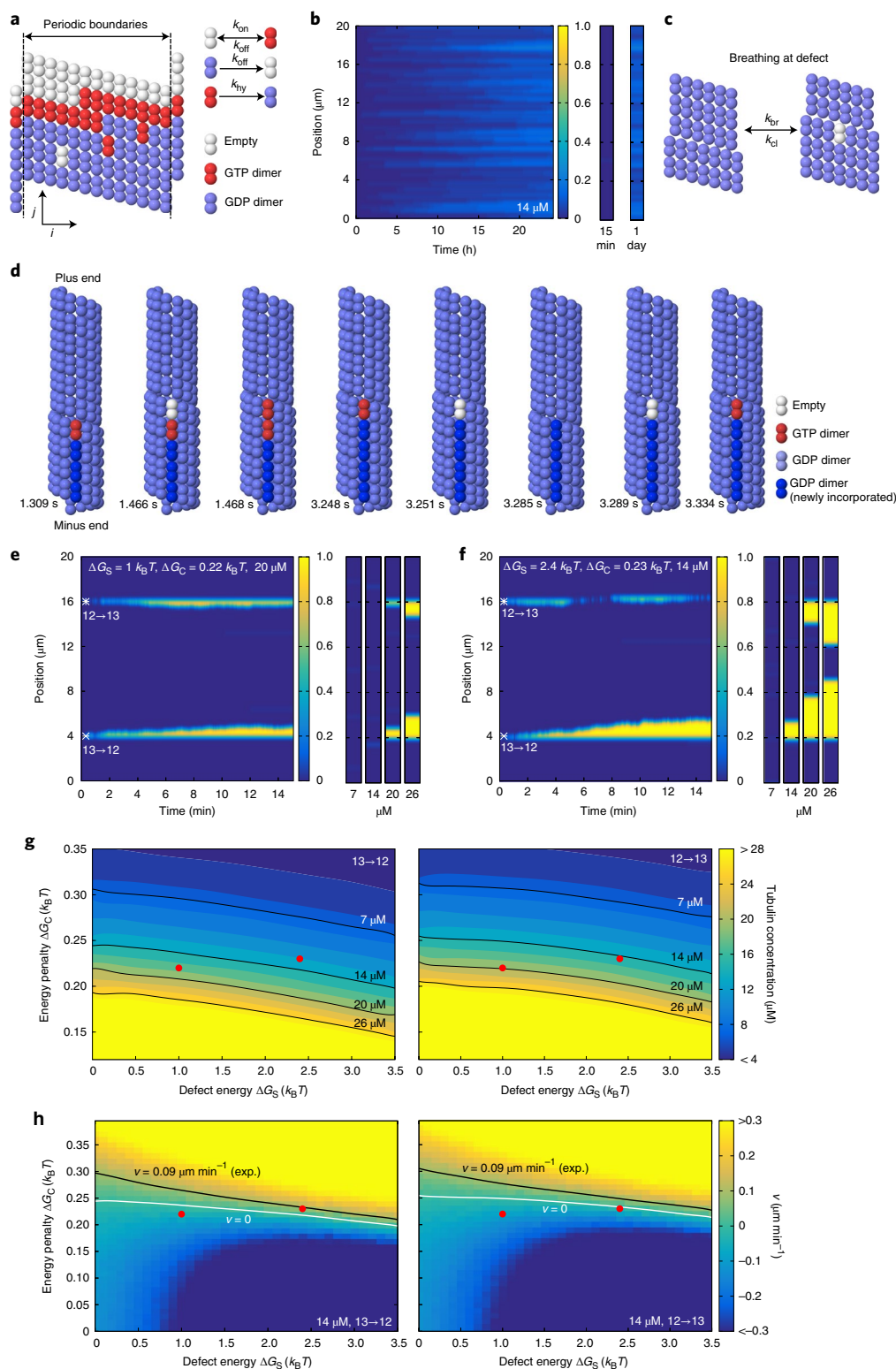
How is a spontaneous localized tubulin turnover possible in such a highly ordered structure as the microtubule shaft? Using lower estimates for the binding energy and taking into account the entropic loss upon dimer polymerization, the typical time for a dimer to leave the lattice of a 20- $\mu$ m-long microtubule ranges between 15 min and 3 h (see Supplementary Information and Supplementary Fig. 2a). Given the stochastic nature of chemical reactions, and the fact that dimer loss occurs in a cooperative manner (the loss of the first dimer reduces the time for the loss of the next neighbours), we felt it worthwhile to test whether the loss or incorporation of dimers at the perfect shaft could reproduce the experimentally observed localized exchange pattern (Fig. 1b,c). To that end, we developed a simple, albeit robust, kinetic Monte Carlo model (Fig. 2a and Methods) for the canonical microtubule lattice (13 protofilaments, 3-start left-handed helix<sup>29,30</sup>), hereafter referred to as the 13 protofilament lattice. Similar types of Monte Carlo model have

been used to study the microtubule tip dynamics<sup>16,31,32</sup>. Here, we specifically allowed for the exchange of dimers between the microtubule shaft and the surrounding solution, which had not been considered previously. The model parameters (see Supplementary Table 1) are comparable to values found in the literature and are adapted to reproduce dynamic instability of the microtubule plus end (Supplementary Fig. 2b). To investigate the experiments of end-stabilized microtubules shown in Fig. 1, we simulated the exchange of dimers between 20- $\mu$ m-long microtubule shafts and the solution containing 14  $\mu$ M free tubulin (Fig. 2b). A single dimer occasionally left the lattice, however the open lattice space was rapidly filled, before more neighbouring dimers could leave the lattice. Thus, the frequency of dimer exchange between the lattice and the pool of free dimers during the first 15 min was considered too low to be detectable experimentally. Within 1 day, the shaft exchanged about 1 dimer per 5 helical turns with the solution in an almost homogeneous fashion. Therefore, a regular lattice cannot explain the localized exchange pattern. We hypothesized that the elastic stress, associated with dislocation defects, might be sufficient to promote a spontaneous localized tubulin turnover. We therefore extended our Monte Carlo model to simulate the microtubule dynamics at transitions between 12 and 13 protofilament lattice conformations via dislocation defects. Thereby, we postulated (1) that a passive lattice breathing mechanism occurs at the defect site (Fig. 2c); (2) that the defect is associated with an elastic strain energy  $\Delta G_s$ ; and (3) that the 12 protofilament lattice is slightly less stable than the 13 protofilament lattice<sup>33</sup> by a small conformational energy penalty  $\Delta G_c$ . As an illustration, Fig. 2d shows snapshots of a numerical simulation of a 13 $\rightarrow$ 12 dislocation (the arrow indicates the direction of the plus end) in the presence of free tubulin. Shown are consecutive single events in the Monte Carlo model, for example breathing, incorporation and loss of tubulin dimers and hydrolysis. Thereby, the position of the dislocation is moving along the microtubule long axis. For the 13 $\rightarrow$ 12 dislocation depicted in Fig. 2d a motion of the dislocation towards the plus end leads to an elongation of the additional protofilament, that is, free tubulin is incorporated into the microtubule. A motion of the dislocation towards the minus end leads to a depolymerization of the additional protofilament, corresponding to a loss of tubulin dimers from the microtubule. With this model, we simulated the exchange of dimers for microtubule shafts containing two dislocation defects, a 13 $\rightarrow$ 12 and a 12 $\rightarrow$ 13 transition. Figure 2e shows a kymograph for the tubulin incorporation into the shaft over 15 min at a free tubulin concentration of 20  $\mu$ M. Also shown are the final states of the microtubule shaft at varying free tubulin concentrations. In this example, tubulin incorporation is not detectable at

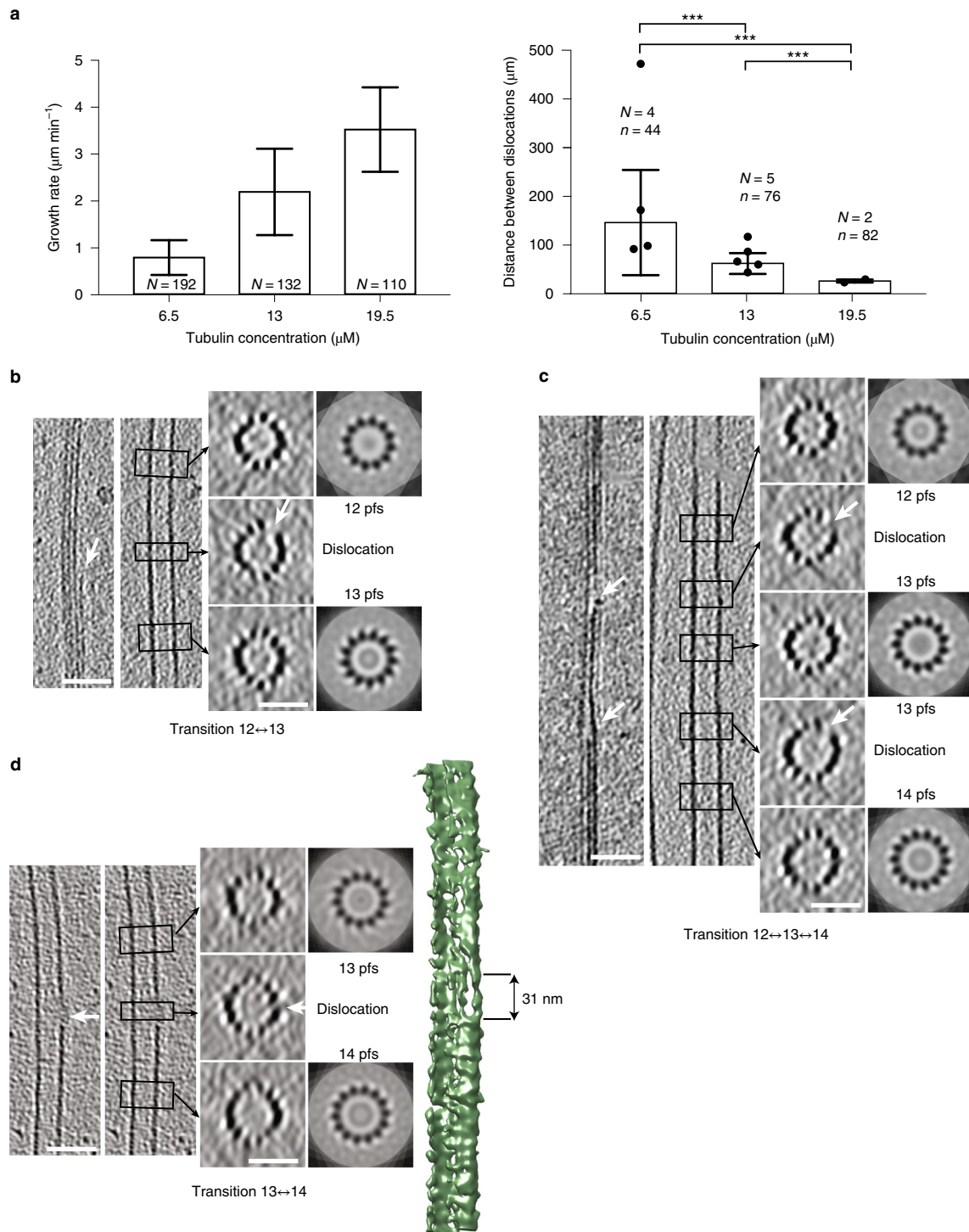
**Fig. 2 | Monte Carlo simulations of microtubule lattice dynamics.** **a**, Lattice scheme for a 13 protofilament lattice with a seam (left) and possible lattice transitions with their associated rate constants (right). **b**, Simulated kymograph of the incorporation of free tubulin dimers into the shaft of an end-stabilized 13 protofilament microtubule within 24 h. The free tubulin concentration is 14  $\mu$ M. The small graphs on the right are representative for the microtubule appearance at the indicated times. The colour scale indicates the number of incorporated dimers per helical turn. **c**, Scheme of the breathing mechanism of the microtubule lattice at a dislocation defect. **d**, Sequence of simulation snapshots of tubulin turnover at a dislocation defect, where the protofilament number changes from 13 to 12 into the direction of the microtubule plus end. The snapshots correspond to consecutive single events in the Monte Carlo model with the simulation times indicated below. **e,f**, Simulated kymographs of the incorporation of free tubulin dimers into the microtubule shaft containing defects, whose initial position is marked by the white asterisk. The defect strain energy  $\Delta G_s$ , the conformational energy penalty  $\Delta G_c$  and the free tubulin concentration are indicated at the top of each kymograph. The small graphs on the right show snapshots of the incorporation pattern after 15 min at the indicated free tubulin concentrations below each snapshot. The colour code indicates the number of incorporated dimers per helical turn. **g**, Phase diagrams of the critical concentration of tubulin incorporation depending on the conformational energy penalty  $\Delta G_c$  and the defect strain energy  $\Delta G_s$ . The colour code indicates the critical free tubulin concentration where the dislocation is stationary. Shown are the phase diagrams of a 13 $\rightarrow$ 12 (left) and a 12 $\rightarrow$ 13 (right) transition. The black lines indicate the isolines of the experimentally used free tubulin concentrations. **h**, Phase diagrams of the speed of motion of dislocations depending on the conformational energy penalty  $\Delta G_c$  and the defect strain energy  $\Delta G_s$  for a free tubulin concentration of 14  $\mu$ M. Shown are the phase diagrams of a 13 $\rightarrow$ 12 (left) and a 12 $\rightarrow$ 13 (right) transition. The colour code indicates the speed of motion of the dislocation along the microtubule axis in  $\mu\text{m min}^{-1}$ . Note that a positive speed  $v > 0$  indicates a net elongation of the free protofilament end at the dislocation, which becomes visible as tubulin incorporation spots in the experiments. The white line indicates a stationary dislocation with  $v = 0$  and the black line indicates the experimentally measured incorporation speed ( $\sim 0.09 \mu\text{m min}^{-1}$  at 14  $\mu$ M free tubulin). The red dots in **g,h** indicate the parameter combination for the simulations of **e** and **f**. Remaining parameters for all simulations are as in Supplementary Table 1 with  $\Delta G_s = 2.4 k_B T$  and  $\Delta G_c = 0.23 k_B T$  in **d**.

low tubulin concentrations (7 and 14  $\mu\text{M}$ ). However, both dislocations are incorporating free tubulin at higher tubulin concentrations (20 and 26  $\mu\text{M}$ ), whereby an increase in the tubulin concentration leads to longer incorporation stretches. This example shows two important experimental features (Fig. 1c): tubulin incorporation is localized at dislocations and requires a critical concentration of free tubulin. Figure 2f shows a simulated kymograph of tubulin

incorporation for a different set of parameters that demonstrates the effect of the directionality of the protofilament transition. At 14  $\mu\text{M}$ , the 13 $\rightarrow$ 12 transition is incorporating free tubulin, whereas the 12 $\rightarrow$ 13 transition is not. At a higher tubulin concentration of 20  $\mu\text{M}$  both transitions are incorporating free tubulin. The different dynamics of the two types of defect arise from the fact that hydrolysis of a GTP dimer can only occur if its top neighbour site (in the







**Fig. 3 | Dislocation defects in the microtubule lattice detected by cryo-electron microscopy.** **a**, Growth rate (left) and mean distances between dislocations (right) in centrosome-nucleated microtubules as a function of free tubulin concentration.  $N$  in the left graph denotes the number of microtubules analysed.  $N$  and  $n$  in the right graph denote the number of cryo-electron microscopy samples analysed and the total number of dislocations detected, respectively (see Methods and Supplementary Information). Mean  $\pm$  s.d. values for the spatial frequencies of dislocations are  $0.007 \pm 0.005 \mu\text{m}^{-1}$ ,  $0.016 \pm 0.005 \mu\text{m}^{-1}$  and  $0.040 \pm 0.005 \mu\text{m}^{-1}$  for 6.5  $\mu\text{M}$ , 13  $\mu\text{M}$  and 19.5  $\mu\text{M}$  free tubulin, respectively.  $P$  values are 0.0007, 0.0001 and 0.0006 for the concentration pairs (6.5  $\mu\text{M}$ , 13  $\mu\text{M}$ ), (6.5  $\mu\text{M}$ , 19.5  $\mu\text{M}$ ) and (13  $\mu\text{M}$ , 19.5  $\mu\text{M}$ ), respectively. **b–d**, Cryo-electron tomograms of protofilament number transitions. The left panels show longitudinal slices through the microtubule in the transition region whereas the right panels show transverse sections. The left longitudinal section shows a cut through the transition region, whereas the right longitudinal section shows a cut through a central part of the microtubule. The transverse sections are averaged over the height of the black rectangles shown in the longitudinal sections (corresponding regions are indicated by black arrows) and correspond to  $N$ -fold rotational averages of the closed microtubule regions ( $N$  denotes the protofilament number). White arrows indicate the free end of a protofilament (dislocation) with the accompanying gap in the lattice at the transition. The scale bars are 50 nm for longitudinal and 25 nm for transverse sections. pfs, protofilaments. **b**, 12 $\leftrightarrow$ 13 protofilament number transition. **c**, 12 $\leftrightarrow$ 13 and 13 $\leftrightarrow$ 14 protofilament number transitions in close proximity in the same microtubule. **d**, 13 $\leftrightarrow$ 14 protofilament number transition. The image on the far right shows the 3D rendering of the microtubule with the dislocation at the edge of the microtubule. A gap in the lattice with an approximate length of 31 nm is clearly visible. In **d**, both longitudinal sections are identical.

**Table 1 | Summary of mean frequencies of tubulin incorporation spots observed by TIRF microscopy for various growth and exchange conditions after 15 min of tubulin incorporation**

Tubulin concentration (elongation) ( $\mu\text{M}$ )	Tubulin concentration (incorporation) ( $\mu\text{M}$ )	Total length analysed ( $\mu\text{m}$ )	Number of incorporation spots	Incorporation frequency (mean $\times$ / s.d. factor) ( $\mu\text{m}^{-1}$ )
20	7	675	15	0.03 $\times$ / 2.4
20	14	1,558	34	0.04 $\times$ / 2.9
20	20	497	44	0.12 $\times$ / 2.2
20	26	1,463	94	0.10 $\times$ / 2.6
14	20	149	8	0.08 $\times$ / 1.8
20	20	497	44	0.12 $\times$ / 2.2
26	20	377	65	0.23 $\times$ / 2.0
20 ( <i>Xenopus</i> egg extract)	14	3,278	210	0.09 $\times$ / 2.8

Also shown is the s.d. factor characterizing the width of the lognormal distribution, as well as the total length of microtubules analysed and the total number of incorporation spots.

**Table 2 | Lattice defect frequency (mean  $\pm$  s.d.) in centrosome-nucleated microtubules observed by cryo-electron microscopy for various concentrations of tubulin during elongation**

Tubulin concentration ( $\mu\text{M}$ )	Total length analysed ( $\mu\text{m}$ )	Number of lattice defects	Lattice defect frequency (mean $\pm$ s.d.) ( $\mu\text{m}^{-1}$ )
6.5	6,385	44	0.007 $\pm$ 0.005
13	4,673	76	0.016 $\pm$ 0.005
19.5	2,056	82	0.040 $\pm$ 0.005

Also shown is the total length of microtubules analysed and the total number of defects.

direction of the plus end) is occupied (see Methods), reminiscent of the different dynamic properties of plus and minus microtubule tips<sup>3</sup>. Figure 2g and h present how the tubulin incorporation varies with the properties of the 13 $\rightarrow$ 12 and 12 $\rightarrow$ 13 transitions. For comparison, the black line in Fig. 2h shows the experimentally measured elongation speed of incorporation spots (see Fig. 1d,  $\sim 0.09 \mu\text{m min}^{-1}$  at 14  $\mu\text{M}$  free tubulin), which allows us to approximately situate our experiments in the model parameter space. Supplementary Figs. 2c,d and 3 show further phase diagrams for other parameter combinations. We have further tested the model behaviour by comparing it to experiments with end-stabilized microtubules (grown

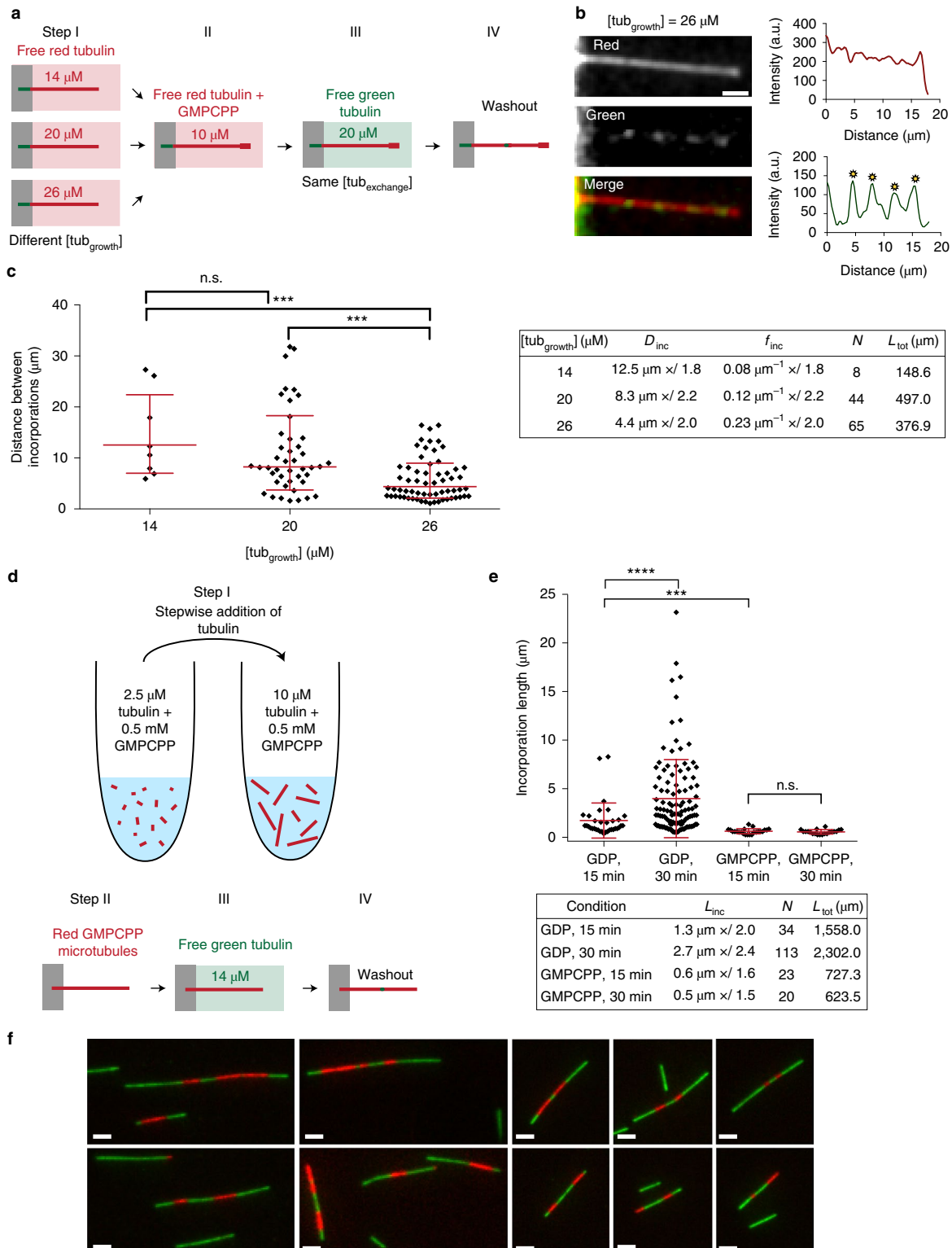
at 20  $\mu\text{M}$  free tubulin) in the complete absence of free tubulin. The dynamics and typical timescale of microtubule breakage matched well between simulations and experiments and also confirmed the observations of Dye et al.<sup>9</sup> albeit on a shorter timescale (see Supplementary Information and Supplementary Fig. 4). Overall, the breathing mechanism reproduces the localized and continuous incorporation of tubulin into the shaft with a critical dependency on the free tubulin concentration, as observed experimentally (Fig. 1c,d). In the model, dimer incorporation occurs only by elongation of free protofilament ends. It is straightforward to include a destabilization of neighbouring protofilaments close to the dislocation into the model to extend the incorporation spots laterally. However, as a proof of principle, our simple model captures well the measured data. The breathing mechanism allows for a dynamic lattice restructuring by guaranteeing at the same time an overall stable lattice with little impact on overall microtubule appearance (width and curvature).

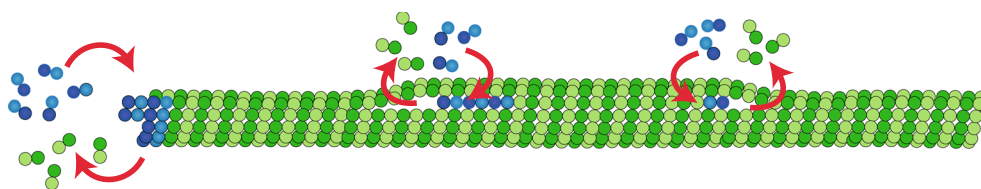
Dislocations are the predominant defect structures, which can be detected by cryo-electron microscopy<sup>19,20</sup>. However, their dynamics has not been characterized yet. Since the direct observation of tubulin incorporation at defects was too challenging, we decided to establish the link between defects and lattice turnover indirectly. It has previously been hypothesized that the defect frequency increases with the microtubule growth speed, that is, the concentration of free tubulin during elongation<sup>10,34</sup>. Therefore, we investigated the effect

**Fig. 4 | Incorporation of free tubulin into the microtubule lattice visualized by TIRF.** **a**, Schematic representation of the experimental set-up to test the role of the microtubule growth rate (that is, lattice-defect frequency) on tubulin turnover in the microtubule lattice. Microtubules were grown in 14  $\mu\text{M}$ , 20  $\mu\text{M}$  or 26  $\mu\text{M}$  red-fluorescent free tubulin (step I) before capping with GMPCPP (step II). Microtubules were then exposed to 20  $\mu\text{M}$  green-fluorescent free tubulin for 15 min (step III) before washout and imaging (step IV). **b**, The images and line scans (red curve, red fluorescent channel; green curve, green fluorescent channel) show an example of a microtubule grown at a free tubulin concentration of 26  $\mu\text{M}$ , which contains several incorporation spots marked by the yellow asterisks. Scale bar, 3  $\mu\text{m}$ . **c**, The graph shows the distribution of distances between incorporation sites after concatenating all microtubules in a random order. The red bars represent the geometric mean  $\times$ / s.d. factor. *P* values are 0.0001 and 0.0009 for the concentration pairs (20  $\mu\text{M}$ , 26  $\mu\text{M}$ ) and (14  $\mu\text{M}$ , 26  $\mu\text{M}$ ). The table summarizes the mean distance ( $D_{\text{inc}}$ ) and frequency ( $f_{\text{inc}}$ ) between incorporation spots (geometric mean  $\times$ / s.d. factor). *N* and  $L_{\text{tot}}$  denote the total number of observed incorporation spots and the total length of microtubules analysed, respectively. **d,e**, Incorporation of free tubulin into GMPCPP-microtubules. **d**, Schematic representation of the experimental set-up used to test microtubule lattice turnover in GMPCPP-microtubules. Red-labelled GMPCPP microtubules were first polymerized in a test tube by the stepwise addition of GMPCPP-tubulin (step I), before being transferred and fixed to the bottom of a passivated microfluidic chamber (step II). GMPCPP-microtubules were then exposed to green-labelled free tubulin for 15 or 30 min (step III). Before imaging, the free tubulin was washed out (step IV). **e**, The graph shows the distributions of the length of tubulin incorporation spots ( $L_{\text{inc}}$ ) into the GMPCPP lattice (and the GDP lattice for comparison, see Fig. 1d) after 15 and 30 min of incubation at 14  $\mu\text{M}$  free tubulin. The red bars indicate the geometric mean  $\times$ / s.d. factor, which are also summarized in the table (*N* and  $L_{\text{tot}}$  denote the total number of observed incorporation spots and the total length of microtubules analysed, respectively). The *P* value is  $<0.0001$  for the incorporation of free tubulin during 15 and 30 min into the GDP lattice and 0.0001 for the incorporation during 15 min into the GDP and GMPCPP lattice. **f**, Alternating patterns of red- and green-labelled tubulin along GMPCPP-microtubules that indicate annealing. In a separate experiment from the scheme indicated in **d**, to show microtubule annealing, microtubules were first polymerized in a test tube from red-labelled GMPCPP-tubulin and then elongated with green GMPCPP-tubulin. The simple pattern green-red-green shows the initial red tubulin stretch, which was elongated at the plus and minus ends by green tubulin. The alternating pattern green-red-green-red-green indicates annealing between two microtubules. Scale bars, 5  $\mu\text{m}$ .

of tubulin concentration, and hence of microtubule growth rate, on the frequency of lattice defects using previously acquired cryo-electron microscopy data (Fig. 3). Since dislocations could result from annealing of self-assembled microtubules with different lattice conformations and to facilitate the visualization of elongating plus ends, we chose to grow microtubules from centrosomes at tubulin concentrations below the critical concentration for self-assembly<sup>35</sup>. While the vast majority of the microtubules were in the 13\_3 conformation

(13 protofilament, 3 start helix) in these conditions, we also detected other lattice conformations, for example 14\_3 and 12\_3 lattice conformations. Transition types were preferentially single changes in protofilament numbers, for example, 13→12, 13→14 and 14→13 (see Supplementary Information and Supplementary Fig. 5a). We characterized the growth rate and the dislocation frequency as a function of tubulin concentration at assembly (6.5  $\mu\text{M}$ , 13  $\mu\text{M}$  and 19.5  $\mu\text{M}$ , see Methods). Both the microtubule growth rate and the





**Fig. 5 | Schematic representation of microtubule dynamics, showing elongation and shortening of the microtubule at the tip and elongation and shortening of free protofilament ends at dislocations along the shaft.**

dislocation frequency increased with increasing tubulin concentration (Fig. 3a,b). Furthermore, the defect frequency detected by cryo-electron microscopy ( $0.007 \pm 0.005 \mu\text{m}^{-1}$ ,  $0.016 \pm 0.005 \mu\text{m}^{-1}$  and  $0.040 \pm 0.005 \mu\text{m}^{-1}$  for tubulin concentrations of 6.5  $\mu\text{M}$ , 13  $\mu\text{M}$  and 19.5  $\mu\text{M}$ ) is comparable to the frequency of tubulin incorporation observed by TIRF microscopy (Tables 1 and 2). Note that a direct comparison of the frequencies is difficult since microtubules were grown under different conditions for TIRF and cryo-electron microscopy observations. In our breathing model (Fig. 2c), we proposed that the opening of the lattice close to the dislocation allows for the incorporation of free tubulin. Indeed, we could visualize a gap in the lattice structure in the vicinity of a protofilament dislocation in three dimensions based on microtubule reconstructions from cryo-electron tomography at medium resolution and in the absence of averaging methods<sup>36</sup> (Fig. 3b–d and Supplementary Fig. 5b–e). Figure 3d shows the surface of a microtubule with a gap of about 31 nm in length in the transition region, suggesting that tubulin can indeed be added at the free ends of protofilaments at dislocations.

We then took advantage of the correlation between microtubule growth rate and lattice defect frequency. Red microtubules were grown at various concentrations of free tubulin, capped and exposed to the same concentration of green tubulin (20  $\mu\text{M}$ ) for 15 min (Fig. 4a,b). Microtubules grown at 14, 20 and 26  $\mu\text{M}$  showed frequencies of incorporations of  $0.08 \mu\text{m}^{-1} \times / 1.8$ ,  $0.12 \mu\text{m}^{-1} \times / 2.2$  and  $0.23 \mu\text{m}^{-1} \times / 2.0$ , respectively (Fig. 4c). This clearly demonstrates that higher defect frequencies from structural data are associated with higher frequencies for incorporation sites from TIRF data. It indicates that tubulin incorporation is related to specific lattice structures and not an unspecific aggregation of tubulin at the shaft. It also invalidates the previously mentioned hypothesis (Fig. 1d) that incorporation sites are continuously nucleated along the shaft, as both processes, unspecific aggregation and continuous nucleation of incorporation spots, should be independent of the speed at which microtubules are polymerized.

The role of structural defects in lattice turnover suggests that a perfect lattice would display a different dynamics. We aimed at testing this prediction by growing microtubules from GMPCPP–tubulin as they exist almost exclusively (96%) in the 14 protofilament lattice configuration, in contrast to the polymorphism of the GDP lattice<sup>37</sup> (see also our Supplementary Data). To that end, microtubules were polymerized from GMPCPP–tubulin in a test tube and transferred into a microfluidic chamber to perform the incorporation experiment (Fig. 4d and Methods). GMPCPP-microtubules showed tubulin incorporation, however the incorporation spots were smaller than in our previous experiments (Fig. 4e), suggesting they were annealing sites rather than actual sites of lattice turnover. To test this possibility we performed another experiment aimed at highlighting annealing events. We polymerized short red-labelled GMPCPP-microtubules, which were elongated at the plus and minus ends using green-labelled tubulin, in a test tube (Methods), resulting in microtubules with typical stripe patterns green–red–green or green–red–green–red–green (Fig. 4f), confirming the occurrence of numerous annealing events. Moreover, the incorporation spots did not elongate between 15 and 30 min of incorporation (Fig. 4e) in contrast to the lattice turnover sites we observed

previously, suggesting that the incorporation stopped when the annealing was completed. We conclude that incorporation of free tubulin occurred preferentially at annealing sites between microtubules with frayed ends and rarely along the regular GMPCPP shaft.

To test the occurrence of turnover in more physiological conditions where microtubule binding proteins accompany the growth of microtubules, we performed the incorporation experiment for microtubules grown in *Xenopus* egg extract cytoplasm and also in an alternative TicTac buffer (Supplementary Information and Supplementary Figs. 6 and 7). Both experiments showed tubulin incorporation with frequencies comparable to the in vitro set-up using BRB buffer (see Tables 1 and 2). In a final set of experiments we roughly quantified the number of incorporated dimers. We found that small incorporation spots  $\leq 1 \mu\text{m}$  contained several tens of fluorescent dimers (Supplementary Information and Supplementary Fig. 8), in agreement with our model mechanism, where a single protofilament elongates at the dislocation.

Localized tubulin incorporations have been observed in living cells and attributed to mechanical stresses in the lattice<sup>13,14</sup>. Our in vitro experiments now suggest that dimer loss and incorporation may occur spontaneously in the absence of mechanical stress. Furthermore, our model simulations and the correlation between fluorescence data and structural data indicate that a spontaneous and localized lattice turnover may occur in the vicinity of lattice defects (Fig. 5), which are frequent in rapidly growing microtubules. A simple passive breathing model for dislocation defects shows that dislocations with a strain energy as weak as the thermal energy  $k_B T$  are sufficient to induce lattice plasticity and tubulin turnover.

### Online content

Any methods, additional references, Nature Research reporting summaries, source data, statements of code and data availability and associated accession codes are available at <https://doi.org/10.1038/s41567-019-0542-4>.

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## Author contributions

L.S. and S.T. performed all dimer exchange and fracture experiments with the help of J.G. and A.A. L.S., L.B. and M.T. designed these experiments. D.C. designed and performed cryo-electron microscopy experiments. K.J. designed and performed numerical simulations. L.S., S.T., C.A., L.B., M.T. and K.J. analysed data. L.S., M.T., D.C. and K.J. wrote the manuscript.

## Competing interests

The authors declare no competing interests.

## Additional information

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## Methods

**Tubulin purification and labelling.** Tubulin was purified from fresh bovine brain by three cycles of temperature-dependent assembly and disassembly in Brinkley Buffer 80 (BRB80 buffer; 80 mM PIPES, pH 6.8, 1 mM EGTA, and 1 mM MgCl<sub>2</sub> plus 1 mM GTP<sup>38</sup>). Microtubule-associated proteins (MAP)-free neurotubulin was purified by cation-exchange chromatography (EMD SO, 650 M, Merck) in 50 mM PIPES, pH 6.8, supplemented with 1 mM MgCl<sub>2</sub> and 1 mM EGTA<sup>39</sup>. Purified tubulin was obtained after a cycle of polymerization and depolymerization. Fluorescent tubulin (ATTO-488- and ATTO-565-labelled tubulin) and biotinylated tubulin were prepared as previously described<sup>40</sup>. Microtubules from neurotubulin were polymerized at 37 °C for 30 min and layered onto cushions of 0.1 M NaHEPES, pH 8.6, 1 mM MgCl<sub>2</sub>, 1 mM EGTA, 60% v/v glycerol, and sedimented by high centrifugation at 30 °C. Then, microtubules were resuspended in 0.1 M NaHEPES, pH 8.6, 1 mM MgCl<sub>2</sub>, 1 mM EGTA, 40% v/v glycerol and labelled by adding 1/10 volume 100 mM NHS-ATTO (ATTO Tec) or NHS-Biotin (Pierce) for 10 min at 37 °C. The labelling reaction was stopped using 2 volumes of 2X BRB80, containing 100 mM potassium glutamate and 40% v/v glycerol, and then microtubules were sedimented onto cushions of BRB80 supplemented with 60% glycerol. Microtubules were resuspended in cold BRB80. Microtubules were then depolymerized and a second cycle of polymerization and depolymerization was performed before use.

**Cover-glass micropatterning.** The micropatterning technique was adapted from Portran et al.<sup>41</sup>. Cover glasses were cleaned by successive chemical treatments: 30 min in acetone, 15 min in ethanol (96%), rinsing in ultrapure water, 2 h in Hellmanex III (2% in water, Hellmanex), and rinsing in ultrapure water. Cover glasses were dried using nitrogen gas flow and incubated for three days in a solution of triethoxysilane-PEG (30 kDa, PSB-2014, Creative PEG works) 1 mg ml<sup>-1</sup> in ethanol 96% and 0.02% of HCl, with gentle agitation at room temperature. Cover glasses were then successively washed in ethanol and ultrapure water, dried with nitrogen gas and stored at 4 °C. Passivated cover glasses were placed into contact with a photomask (Toppan) with a custom-made vacuum-compatible holder and exposed to deep-UV (7 mW cm<sup>-2</sup> at 184 nm, Jelight) for 2 min 30 s. Deep-UV exposure through the transparent micropatterns on the photomask created oxidized micropatterned regions on the PEG-coated cover glasses.

**Microfluidic circuit fabrication and flow control.** The microfluidic device was fabricated in polydimethylsiloxane (PDMS, Sylgard 184, Dow Corning) using standard photolithography and soft lithography. The master mould was fabricated by patterning 50-µm-thick negative photoresist (SU8 2100, Microchem, MA) by photolithography<sup>42</sup>. A positive replica was fabricated by replica moulding PDMS against the master. Before moulding, the master mould was silanized (trichloro(1H,1H,2H,2H-perfluorooctyl)silane, Sigma) for easier lift-off. Four inlet and outlet ports were made in the PDMS device using 0.5-mm-diameter soft substrate punches (UniCore 0.5, Ted Pella, Redding, CA). Connectors to support the tubing were made out of PDMS cubes (0.5 cm side length) with a 1.2 mm diameter through hole. The connectors were bonded to the chip ports using still liquid PDMS as glue, which was used to coat the interface between the chip and the connectors, and was then rapidly cured on a hotplate at 120 °C. Teflon tubing (Tefzel, inner diameter: 0.03", outer diameter: 1/16", Upchurch Scientific) was inserted into the two ports serving as outlets. Tubing with 0.01" inner and 1/16" outer diameter was used to connect the inlets via two three-way valves (Omnifit Labware, Cambridge, UK) that could be opened and closed by hand to a computer-controlled microfluidic pump (MFCS-4C, Fluigent, Villejuif, France). Flow inside the chip was controlled using the MFCS-Flex control software (Fluigent). Custom rubber pieces that fit onto the tubing were used to close the open ends of the outlet tubing when needed.

### Microtubule growth on micropatterns using standard (BRB80) buffer.

Microtubule seeds were prepared at 10 µM tubulin concentration (30% ATTO-488-labelled or ATTO-565-labelled tubulin and 70% biotinylated tubulin) in BRB80 supplemented with 0.5 mM GMPCPP at 37 °C for 1 h. The seeds were incubated with 1 µM Taxotere (Sigma) at room temperature for 30 min and were then sedimented by high centrifugation at 30 °C and resuspended in BRB80 supplemented with 0.5 mM GMPCPP and 1 µM Taxotere. Seeds were stored in liquid nitrogen and quickly warmed to 37 °C before use.

The PDMS chip was placed on a micropatterned cover glass and fixed on the microscope stage. The chip was perfused with neutravidin (25 µg ml<sup>-1</sup> in BRB80; Pierce), then washed with BRB80, passivated for 20 s with PLL-g-PEG (PLL 20 K-G35-PEG2K, Jenkam Technology) at 0.1 mg ml<sup>-1</sup> in 10 mM Na-HEPES (pH = 7.4), and washed again with BRB80. Microtubule seeds were flowed into the chamber at high flow rates perpendicularly to the micropatterned lines to ensure proper orientation of the seeds. Non-attached seeds were washed out immediately using BRB80 supplemented with 1% BSA. Seed grafting on PEGylated micropatterned surfaces prevents microtubule displacement while switching the medium and minimizes shaft interaction with the substrate<sup>10,41</sup>. Seeds were elongated with a mix containing 14, 20 or 26 µM of tubulin (20% labelled) in BRB80 supplemented with 50 mM NaCl, 25 mM NaPi, 1 mM GTP, an oxygen scavenger cocktail (20 mM DTT, 1.2 mg ml<sup>-1</sup> glucose, 8 µg ml<sup>-1</sup> catalase

and 40 µg ml<sup>-1</sup> glucose oxidase), 0.1% BSA and 0.025% methyl cellulose (1,500 cP, Sigma) at 37 °C. GMPCPP caps were grown by substituting in the before-mentioned buffer GTP with 0.5 mM GMPCPP (Jena Bioscience) and using 10 µM tubulin (100% labelled with a red fluorophore) at 37 °C. Capping extends the microtubule lifetime and allows for the investigation of lattice turnover over a period of several minutes despite the dynamic instability in vitro. For fracture experiments, this buffer was then replaced by a buffer containing the same supplements, but without free tubulin and GTP ('washing buffer'). For incorporation experiments, the same buffer as for seed elongation was used, supplemented with 7 µM, 14 µM, 20 µM or 26 µM tubulin (100% labelled, green fluorescent, labelling ratio of about 2 fluorophores per dimer). Microtubules were incubated in this buffer for 15 or 30 min at 37 °C before replacing it with washing buffer for imaging.

**GMPCPP-microtubule growth in solution and incorporation of free tubulin on micropatterns.** Seeds were elongated with a mix containing 2.5 µM of tubulin (20% labelled) in BRB80 supplemented with 0.5 mM GMPCPP for 10 min at 37 °C. Stepwise, 1.5 µM tubulin (20% labelled) was added in the mix every 10 min. The final tubulin concentration was 10 µM. Microtubules were incubated for 1 h at 37 °C. A PDMS chip was placed on a micropatterned cover glass and fixed on the microscope stage. The chip was perfused with neutravidin (25 µg ml<sup>-1</sup> in BRB80; Pierce), then washed with HKEM (10 mM HEPES pH 7.2; 5 mM MgCl<sub>2</sub>; 1 mM EGTA; 50 mM KCl), passivated for 1 min with PLL-g-PEG (PLL 20 K-G35-PEG2K, Jenkam Technology) at 0.1 mg ml<sup>-1</sup> in 10 mM Na-HEPES (pH = 7.4), and washed again with HKEM supplemented with 1% BSA. Microtubules were flowed into the chamber perpendicularly to the micropatterned lines. Non-attached microtubules were washed out immediately using HKEM supplemented with 1% BSA. For incorporation experiments, GMPCPP-microtubules were incubated with 14 µM tubulin (100% labelled, green fluorescent, labelling ratio of about 2 fluorophores per dimer) in TicTac (16 mM PIPES pH 6.9; 10 mM HEPES; 5 mM MgCl<sub>2</sub>; 1 mM EGTA; 50 mM KCl) supplemented with an oxygen scavenger cocktail (20 mM DTT, 1.2 mg ml<sup>-1</sup> glucose, 8 µg ml<sup>-1</sup> catalase and 40 µg ml<sup>-1</sup> glucose oxidase), 0.1% BSA, 0.025% methyl cellulose (1,500 cP, Sigma) and 1 mM GTP. Microtubules were incubated in this buffer for 15 or 30 min at 37 °C before replacing it with washing buffer for imaging.

**Imaging.** Microtubules were visualized using an objective-based azimuthal ilas2 TIRF microscope (Nikon Eclipse Ti, modified by Roper Scientific) and an Evolve 512 camera (Photometrics). The microscope stage was kept at 37 °C using a warm stage controller (LINKAM MC60). Excitation was achieved using 491 and 561 nm lasers (Optical Insights). Time-lapse recording was performed using Metamorph software (version 7.7.5, Universal Imaging). Movies were processed to improve the signal-to-noise ratio (smooth and subtract background functions of ImageJ, version 1.47n5). To visualize incorporation, images were typically taken every 150 ms and 30 images were overlain and averaged. Sites of incorporated tubulin were identified using line scans of the green fluorescence intensity along the microtubule (Fig. 1b) and corresponded to zones of fluorescence intensity that were at least 2.5-fold higher than the background fluorescence. For fracture experiments, images were taken every 10 s. Visualization of fluctuating microtubules allowed for a clear distinction between fluorescence emanating from the microtubule and from the background.

**Cryo-electron microscopy and tomography.** Analysis of lattice defect frequency as a function of tubulin concentration was performed on microtubules assembled from phosphocellulose-purified calf-brain tubulin nucleated by centrosomes isolated from KE-37 human lymphoid cells<sup>35,43</sup>. Briefly, centrosomes (final concentration 1 × 10<sup>8</sup> centrosomes per ml) were mixed with tubulin at the desired concentration (6.5 µM, 13.5 µM and 19 µM). Samples were incubated directly on the electron-microscopy grid under controlled humidity and temperature conditions<sup>40</sup> for short assembly times (2 to 5 min), or incubated in a test tube for longer times. Grids were blotted with a filter paper to form a thin film of suspension, and quickly plunged into liquid ethane. Microtubules were visualized with an EM 400 electron microscope (Philips) operating at 80 kV. Images were taken at ~1.5 µm underfocus on negatives (SO-163, Kodak). Sites of transition of protofilament and/or helix-start numbers were determined on printed views of the negatives (see ref. <sup>19</sup> for details). The field of view in cryo-electron microscopy is much smaller than in light microscopy. Therefore, it was impossible to concatenate all microtubules and measure distances between defects. Instead, we calculated mean distances between defects (and spatial frequencies) and s.d. from the total length of analysed microtubules and the number of observable lattice defects from different samples. For each negative, the total length of the non-13\_3 microtubule segments was measured. Since the vast majority of the microtubules were 13\_3, their percentage was estimated by counting all 13\_3 and non-13\_3 microtubules. The total length of 13\_3 microtubules was then extrapolated from these measurements. The average defect frequency was calculated by dividing the number of defects by the total microtubule length. Mean values (±s.d.) provided for each tubulin concentration represent the weighted average of 4, 5 and 2 sample grids for the 6.5 µM, 13 µM and 19.5 µM tubulin concentration conditions, respectively, as explained in the section

'Statistical methods'. The high density of microtubule asters at 19  $\mu\text{M}$  tubulin concentration allowed us to analyse specimens prepared at short assembly times (2 and 3 min), compared with the other assembly conditions (up to 30 min of assembly). Microtubule growth rates at these tubulin concentrations are taken from Chrétien et al.<sup>35</sup> (see Table III therein).

Cryo-electron tomography was performed on microtubules self-assembled from phosphocellulose-purified porcine brain tubulin<sup>44</sup>. Ten nanometre gold nanoparticles coated with BSA (Aurion) were added to the suspension to serve as fiducial markers<sup>36</sup>. Specimens in 4  $\mu\text{l}$  aliquots were pipetted at specific assembly times and vitrified as described above. Specimen grids were observed with a Tecnai G<sup>2</sup> T20 Sphera (FEI) operating at 200 kV. Tilt series, typically in the angular range  $\pm 60^\circ$ , were acquired in low-electron-dose conditions using a 2k  $\times$  2k CCD (charge-coupled device) camera (USC1000, Gatan). Three-dimensional reconstructions were performed using the eTomo graphical user interface of the IMOD software package<sup>45</sup> and UCSF Chimera<sup>46</sup>.

**Statistical methods.** The incorporation patterns of microtubules observed by TIRF microscopy were analysed by concatenating all microtubules in a random order together and by measuring the distance between two adjacent incorporation spots (centre-to-centre distance). As the data represent approximately a lognormal distribution, we calculated the geometric mean and s.d. factor of the measured distances, since they better represent the central tendency than the arithmetic mean, as proposed by Kirkwood<sup>28</sup>. The range between the lower bound (the geometric mean divided by the geometric s.d. factor) and the upper bound (the geometric mean multiplied by the geometric s.d. factor) contains about two thirds of the data points, assuming that they follow a lognormal distribution. To test the significance between mean values obtained by the above described method we used the Mann-Whitney test (two-tailed) as a non-parametric alternative to a *t*-test, given that the distribution is non-Gaussian. The cryo-electron microscopy data were analysed by calculating the mean distance  $\langle d \rangle_k$  between transitions for each sample *k* (that is, each time point, see Supplementary Information) using  $\langle d \rangle_k = L_k/N_k$ , where  $N_k$  and  $L_k$  denote the total number of transitions and the total length of the microtubules in the sample. From these values we calculated weighted averages  $\langle d \rangle = \sum_k \langle d \rangle_k N_k / \sum_k N_k$  and estimates for the standard deviations  $\sigma^2 \approx \sum_k (\langle d \rangle_k - \langle d \rangle)^2 N_k / \sum_k N_k$ . The thus determined statistical values were analysed using a two-tailed *t*-test with Welch's correction for unequal standard deviations. The data are represented as mean  $\pm$  s.d.

**Monte Carlo simulations.** Kinetic Monte Carlo simulations were performed using a rejection-free random-selection method<sup>47</sup>.

**Lattice structure.** We used the same lattice structure (Fig. 2a) as previously introduced by others<sup>16,31</sup>. Briefly, the microtubule is modelled on the scale of the tubulin dimer as the canonical 13\_3 (13 protofilament, 3 start left-handed helix) structure. In addition, we postulate the existence of a less stable 12\_3 (12 protofilament, 3 start helix) lattice structure<sup>30,48</sup>. The 13\_3 lattice and the 12\_3 lattice are connected via dislocation defects, where a single protofilament is lost or added (Fig. 2c). All lattice structures are modelled as square lattices, that is, each dimer has two longitudinal and two lateral neighbours. Individual lattice sites on the square lattice are identified by a doublet of integers (*i, j*). The lattice is periodic in a direction perpendicular to the long axis of the microtubule with an offset of 3/2 lattice sites to reproduce the seam structure. Therefore, lattice sites at the seam have 2 nearest 'half' neighbours across the seam, that is, dimers at the left seam in Fig. 2a with the doublet (1, *j*) are in contact with dimers (13, *j* + 2) and (13, *j* - 1) and dimers at the right seam with doublet (13, *j*) are in contact with dimers (1, *j* - 1) and (1, *j* - 2) for a 13 protofilament lattice. At a dislocation defect a lattice site has only one longitudinal neighbour site.

**Lattice transitions and rate constants.** Lattice sites can be either empty or occupied by GTP-bound (T) or GDP-bound (D) dimers. Dimers interact with other dimers on nearest-neighbour lattice sites via attractive interactions, characterized by bond energies  $\Delta G_1$  and  $\Delta G_2$  for longitudinal and lateral bonds, respectively. We assume that longitudinal and lateral bonds of T-T contacts are further stabilized by the energy,  $\Delta G_{T1}$  and  $\Delta G_{T2}$ , respectively, following the allosteric model proposed by Alushin et al.<sup>49</sup> Note that the stabilization of longitudinal T-T contacts is a major difference to the model by vanBuren et al.<sup>16</sup>, but permits to capture the dynamic instability without further assumptions. The stabilization of only lateral T-T contacts is not sufficient to induce a dynamic instability with sufficiently long phases of growth and shrinkage. To limit the number of free parameters we fix the lattice anisotropy in the binding energies as  $\Delta G_1/\Delta G_2 = \Delta G_{T1}/\Delta G_{T2} = 2$ , that is, longitudinal contacts are twice as stable as lateral contacts. This property is also reflected in the stabilizing effects of T-T contacts.

Typically, different lattice conformations correspond to different lattice energies<sup>33</sup>. We include this property by assuming a small destabilizing conformational energy penalty,  $\Delta G_C$ , for dimers in the 12 protofilament lattice compared with the 13 protofilament lattice. Dislocation defects perturb the lattice structure and induce an additional elastic strain in the lattice. In our simple approach we attribute a destabilizing energy,  $\Delta G_S$ , to the dimer located directly at the dislocation defect to mimic the defect strain energy.

For the passive process of polymerization and depolymerization, the principle of detailed balance has to hold. Therefore, on and off rate constants,  $k_{\text{on}}$  and  $k_{\text{off}}$  (Fig. 2a), must be coupled by the relation<sup>50</sup>

$$\frac{k_{\text{off}}}{k_{\text{on}}c_0} = e^{\frac{\Delta G}{k_B T}} \quad (1)$$

where  $c_0$  denotes the standard concentration of free tubulin in solution, that is, 1 M by convention, and  $\Delta G$  denotes the change in free energy upon transferring a free dimer from the solution into the lattice. Note that  $c_0$  in equation (1) is not the actual concentration of the free tubulin in solution, but the standard concentration and originates from the concentration dependence of the chemical potential, that is,  $k_B T \ln(c/c_0)$ , where  $c$  denotes the actual concentration of free tubulin in solution.  $\Delta G = \Delta G_B + \Delta G_E + \dots$  contains contributions from binding of the dimer to nearest neighbours  $\Delta G_B$ , the loss of entropy due to immobilization of the free dimer in the lattice  $\Delta G_E$ , and further contributions related to the conformation of the lattice  $\Delta G_C$  and the presence of defects  $\Delta G_S$ . For practical reasons, we rewrite equation (1) into

$$k_{\text{off}} = k_{\text{off}}^* e^{\frac{\Delta G^*}{k_B T}} \quad (2)$$

with  $k_{\text{off}}^* = k_{\text{on}} c_0 e^{\frac{\Delta G_E}{k_B T}}$  and where  $\Delta G^*$  contains now only binding, conformational and defect strain contributions. We assume that equation (2) also governs the depolymerization of GDP dimers. The difference between the off-rates for GDP-bound and GTP-bound dimers arises from the difference in the binding energy  $\Delta G_B$ .

GTP dimers are irreversibly hydrolysed into GDP dimers by the rate constant  $k_{\text{hy}}$  if their hydrolysable  $\beta$  subunit is in contact with the  $\alpha$  subunit of another dimer, that is, if the top-next longitudinal lattice site in Fig. 2a in the direction of the microtubule plus end is occupied. Hence, our modelling permits the following transitions: free GTP dimers can polymerize into a lattice structure, bound GTP dimers can depolymerize from the lattice or hydrolyse into GDP dimers; and bound GDP dimers can depolymerize from the lattice.

At dislocation defects, the lattice can breathe (that is, open with rate constant  $k_{\text{br}}$  to create an empty lattice site and close with rate constant  $k_{\text{cl}}$  to annihilate an empty lattice site) as depicted in Fig. 2c. Because breathing is a reversible process,  $k_{\text{br}}$  and  $k_{\text{cl}}$  are related by

$$\frac{k_{\text{br}}}{k_{\text{cl}}} = e^{\frac{\Delta G_{\text{BR}}}{k_B T}} \quad (3)$$

$\Delta G_{\text{BR}}$  denotes the difference in lattice free energy between the closed and open lattice state. It contains contributions from the conformational energy penalty for a 12 protofilament lattice,  $\Delta G_C$ , which accelerates opening because a less favourable 12 protofilament lattice is receding in favour of a more stable 13 protofilament lattice, contributions from the lateral binding energy of the lateral bond that will be opened,  $\Delta G_2$  or  $\Delta G_2 + \Delta G_{T2}$ , and the release in defect strain energy,  $\Delta G_S$ .  $\Delta G_{\text{BR}}$  depends on the occupation of the lattice sites in proximity to the defect.

Monte Carlo simulations were performed using a custom-written C code. Unless stated otherwise, we used the parameters listed in Supplementary Table 1 for the simulations shown in Fig. 2 and in Supplementary Figs. 2 and 4, and the parameters listed in Supplementary Table 2 for the simulations shown in Supplementary Fig. 3. The microtubule lattice was visualized using the Jmol software package<sup>51</sup>.

**Reporting Summary.** Further information on research design is available in the Nature Research Reporting Summary linked to this article.

## Data availability

The data that support the findings of this study are available from the authors upon reasonable request, see author contributions for specific datasets.

## Code availability

The source code of the kinetic Monte Carlo model along with detailed instructions to reproduce the data for this manuscript is available online (<https://sourceforge.net/projects/microtubulelatticecode/>). The codes for the analysis of the model simulations are available from the corresponding authors upon request.

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Kinetic Monte Carlo simulations were performed using a custom code available under <https://sourceforge.net/p/microtubulelattice>.

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